

Wednesday June 25

Morning session

Chairman: Antonio Ambrosetti

9.00 a.m. Opening address:

Prof. G. Vinti *Direttore del Dipartimento di Matematica ed Informatica*

Prof. A. Ambrosetti *Honorary Chairman*

9.10 a.m. Jean Mawhin

The coexistence of a maximum and a uniform anti-maximum principle

10.10 a.m. Coffee break

10.30 a.m. Filomena Pacella

Symmetry and Liouville type theorems for semilinear elliptic equations

11.30 a.m. Marie-Françoise Bidaut – Véron

Quasilinear elliptic equations with source terms of order 0 or 1

1.00 p.m. Lunch

Afternoon session

Chairman: Filomena Pacella

4.00 p.m. Hans-Christoph Grunau

Boundary value problems for symmetric Willmore surfaces

5.00 p.m. Coffee break

5.30 p.m. Enzo Mitidieri

Liouville theorems for some classes of quasilinear problems

6.30 p.m. Filippo Gazzola

Partially overdetermined elliptic boundary value problems

7.30 p.m. Free talks

8.00 p.m. Conference dinner at Giò

Thursday June 26

Morning session

Chairman: Enzo Mitidieri

9.00 a.m. Lucio Boccardo

Dirichlet problems with gradient quadratic lower order terms

10.00 a.m. Antonio Ambrosetti

On systems of Schrödinger equations

11.00 a.m. Coffee break

11.30 a.m. Alberto Farina *Liouville theorems for Lane-Emden-Fowler equations*

12.30 a.m. Laurent Véron

Boundary singularities of solutions of non-monotone nonlinear elliptic equations

1.30 p.m. Lunch

International Workshop

on

**Partial Differential
Equations**
for the 80th birthday of
James Serrin

Afternoon session

Chairman: Lucio Boccardo

4.00 p.m. John Bryce McLeod
To be announced

5.00 p.m. Coffee break

5.30 p.m. Haim Brezis
Returning to the critical exponent in 3-d

6.30 p.m. Ireneo Peral
*Results for parabolic problems arising in
some physical models, having natural
growth in the gradient*

7.30 p.m. Free talks

8.00 p.m. Dinner at Giò

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Università degli Studi di
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“Metodi Variazionali ed
Equazioni Differenziali
Nonlinearì”

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Hotel Giò



$$\operatorname{div}(\mathcal{G}(x, u, \nabla u)) = \mathcal{Q}(x, u, \nabla u)$$

$$\operatorname{Min} \int_{\Omega} F(x, u, \nabla u)$$

$$(-\Delta)^K u = \lambda u + g(u)$$

$$u_t + u \cdot \nabla u = \nu \Delta u - |\nabla u|^p + f$$